#### Subleading corrections to the special Galileon

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### Galileon theories

Subleading contributions to the low-energy EFT of a 3-brane in 5d (real Galileon) or 6d (complex Galileon) Minkowski space [see for example K. Hinterbichler et al. arXiv:1008.1305]



 $\Rightarrow$  When decoupled from leading DBI, real quartic Galileon has "special" shift symmetry

$$\phi \to \phi + s_{\mu\nu} x^{\mu} x^{\nu}$$

and enhanced low-energy theorems

$$\mathcal{A}_n \sim {p_i}^3$$
 as  $p_i o 0$ 

# Are there **higher-derivative corrections** that preserve the special Galileon symmetry?

• Soft-subtracted recursion relations [C. Cheung arXiv:1509.03309]:

- Recursively construct S-matrix from a generic ansatz for a set of fundamental amplitudes
- If result has spurious poles, a theory cannot exist
- If result has no spurious pole, it is positive evidence for the existence of the theory.
- The BCJ double-copy

[Z. Bern et al. arXiv:1004:0476, F. Cachazo et al. arXiv:1412.3479]

$$\mathcal{A}_n^{\mathsf{sGal}} = \mathcal{A}_n^{\chi \mathsf{PT}} \times \mathcal{A}_n^{\chi \mathsf{PT}}$$

$$\mathcal{A}_{4}^{\mathsf{sGal}}(1,2,3,4) = \frac{c_1}{\Lambda^6} stu + \frac{c_2}{\Lambda^{10}} \left(s^5 + t^5 + u^5\right) + \frac{c_3}{\Lambda^{12}} s^2 t^2 u^2 + \mathcal{O}(1/\Lambda^{14})$$

We calculate higher derivative corrections to the special Galileon using two independent methods:



The results match for all orders where recursion is valid.

- We also find 5-point contributions to the S-matrix that preserve the Galilean symmetry
- These contributions cannot be obtained from a double-copy construction

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## THANK YOU!